Two linear particle accelerators $\boldsymbol{A}$ and $\boldsymbol{B}$, placed opposite to each other at a distance $\boldsymbol{L}$ apart, are propelling elementary particles. $\boldsymbol{A}$ is shooting $\boldsymbol{x}$-particles, while $\boldsymbol{B}$ is shooting $\boldsymbol{y}$-particles. The two kinds of particles are flying one opposing the other, and when an $\boldsymbol{x}$-particle meets a $\boldsymbol{y}$-particle, they collide and annihilate. One should be aware that an $\boldsymbol{x}$ particle could overtake other $\boldsymbol{x}$-particles, as well as a $\boldsymbol{y}$-particle could overtake other $\boldsymbol{y}$-particles without any consequences for the particles.

Like so, in a given moment of time, which we assume to be zero, a shooting of $\boldsymbol{N} \boldsymbol{x}$-particles and $\boldsymbol{N} \boldsymbol{y}$-particles starts from the two accelerators. Each particle moves with its own constant speed. The particles are numbered in the order of their shooting from 1 to $\boldsymbol{N}$, this holds true for both the $\boldsymbol{x}$-particles and the $\boldsymbol{y}$-particles.

Remark: For time $t$, a particle with speed $v$ travels distance $s=v t$.
The shooting time moments for the $\boldsymbol{x}$-particles are $0=\boldsymbol{t} \boldsymbol{x}_{1}<\boldsymbol{t} \boldsymbol{x}_{2}<\boldsymbol{t} \mathbf{x}_{3}$ $<\ldots .<\boldsymbol{t}_{\boldsymbol{N}}$, and their speeds are $\mathbf{v x _ { 1 }}, \mathbf{v} \mathbf{x}_{2}, \boldsymbol{v} \boldsymbol{x}_{3}, \ldots, \boldsymbol{v} \mathbf{x}_{\boldsymbol{N}}$.

Correspondingly, for the $\boldsymbol{y}$-particles the moments are denoted by $0=\boldsymbol{t}_{\mathbf{1}}<\boldsymbol{t}_{\mathbf{2}}<\boldsymbol{t} \boldsymbol{y}_{3}<\ldots<\boldsymbol{\boldsymbol { t } _ { \boldsymbol { N } }}$, and their speeds by $\boldsymbol{v} \boldsymbol{y}_{\mathbf{1}}, \boldsymbol{v} \boldsymbol{y}_{2}, \boldsymbol{v} \boldsymbol{y}_{\mathbf{3}}, \ldots, \boldsymbol{v} \boldsymbol{y}_{\boldsymbol{N}}$.

The shooting is executed in a way to guarantee the fulfillment of the following conditions:

- Each particle will collide a particle of the opposite type;
- When two particles collide, all other particles will be at a distance greater than or equal to 1 from the collision point. This is guarantee for the first $\boldsymbol{K}$ collisions.


## Task

Write a program particles to determine the first $\boldsymbol{K}$ collisions between particles of the two kinds.

## Input

The three space separated positive integers $\boldsymbol{N}, \boldsymbol{L}$, and $\boldsymbol{K}$ are read from the first line of the standard input.

The following $\boldsymbol{N}$ lines contain two space separated non-negative integers $\boldsymbol{t} \boldsymbol{x}_{i}$ and $\boldsymbol{v} \boldsymbol{x}_{i}$ each: the shooting moment and the speed of the corresponding $\boldsymbol{x}$-particle.

The last $\boldsymbol{N}$ input lines contain, respectively, each the shooting moment $\boldsymbol{t}_{\boldsymbol{i}}$ and the speed $\boldsymbol{v} \boldsymbol{y}_{\boldsymbol{i}}$ of the corresponding $\boldsymbol{y}$-particle in the same format.

## Output

The program must print to the standard output $\boldsymbol{K}$ lines, each containing two space separated positive integers: the numbers of the $\boldsymbol{x}$ particle and $\boldsymbol{y}$-particle, which are involved in the corresponding collision. Lines are output increasingly by the order of collisions - from the first one to the $\boldsymbol{K}^{\mathrm{th}}$.

## Constraints

- $1 \leq \boldsymbol{N} \leq 50000$
- In $30 \%$ of the tests $\boldsymbol{N} \leq 1000$
- $1 \leq \boldsymbol{L} \leq 10^{9}$
- $1 \leq \boldsymbol{K} \leq 100, \boldsymbol{K} \leq \boldsymbol{N}$
- $0 \leq \boldsymbol{t x}_{i}, \boldsymbol{t}_{\boldsymbol{i}} \leq 10^{9}$
- $1 \leq \boldsymbol{v x} \boldsymbol{x}_{i}, \boldsymbol{v}_{\boldsymbol{i}} \leq 10^{9}$


## Example

| Sample input | Sample output |
| :--- | :--- |
| 41002 | 42 |
| 01 | 24 |
| 23 |  |
| 32 |  |
| 610 |  |
| 05 |  |
| 310 |  |
| 51 |  |
| 720 |  |

