## Territories

Time limit: 9-15s, Memory limit: 256 MB

Bajtazar is a biologist studying the fauna of a newly discovered planet. He observed that there are $n$ different types of unique animal species on the planet. Unfortunately, geologists simultaneously discovered large mineral deposits on it, and there are plans to build massive mines that could threaten the planet's ecological balance.
All species on the planet are territorial animals - each species has a fixed rectangle in which it can move. To calm the biologists, the Interplanetary Parliament issued a decree stating that the area lying within the territories of all species shall be designated as a nature reserve (hence no mines will be built there).
During his research on the planet, Bajtazar recorded for each species a pair of coordinates $\left(x_{1}, y_{1}\right)$ and $\left(x_{2}, y_{2}\right)$ for the opposite corners of the rectangle describing the territory of that species. He has now returned to Earth and is analyzing the collected data, wanting to determine the area of the reserve.
It is worth mentioning here that the planet has the shape of a torus, and its map can be represented in the form of a grid of size $X \times Y$ with a coordinate system imposed on it. Points on the map are defined by their coordinates $(x, y)$, where $0 \leq x<X$ and $0 \leq y<Y$. All territories are rectangles with sides parallel to the coordinate axes.
Unfortunately, Bajtazar didn't account for the fact that since the planet is a torus, two points do not uniquely determine a rectangle. Indeed, for each species, there are four possible territories consistent with the collected data. However, the Parliament wants to know as soon as possible how many mines can definitely be built to include the projected profits from mineral extraction in next year's budget. To this end, Bajtazar needs to determine, based on the existing data, the maximum possible area of the nature reserve.

## Input

The first line of the input contains three integers $n, X$ and $Y\left(1 \leq n \leq 500000,2 \leq X, Y \leq 10^{9}\right)$ indicating the number of animal species and the dimensions of the map.
In each of the next $n$ lines, there are four integers $x_{1}, y_{1}, x_{2}, y_{2}\left(0 \leq x_{1}, x_{2}<X, 0 \leq y_{1}, y_{2}<Y\right.$, $x_{1} \neq x_{2}, y_{1} \neq y_{2}$ ) specifying the opposite corners of the territory of the next species - these vertices have coordinates $\left(x_{1}, y_{1}\right)$ and $\left(x_{2}, y_{2}\right)$.

## Output

The output should be a single integer - the maximum possible area of the intersection of all territories.

## Example

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Input
Output
2 107
1 5
2 186
5 244
```

Explanation of the example: The following illustrations show three of the sixteen possible arrangements of two territories for the vertices with coordinates $(2,1),(8,6)$ and $(5,2),(4,4)$ on a $10 \times 7$ map. The common areas are respectively 0,8 , and 15 , with the last illustration showing the largest possible reserve. Note that the reserve area does not need to be contiguous.


